1. Fill each blank below with a limit law justifying that equality. Each blank is worth 1 point.



**Calculus 1** 

Let a and c be constants. Then

Constant Law for Limits:  $\lim_{x \to a} k = k$ 

Law X for Limits: 
$$\lim_{x \to a} x = a$$

And as long as  $\lim_{x \to a} f(x)$  and  $\lim_{x \to a} g(x)$  are real numbers,

| Sum Law for Limits:              | $\lim_{x \to a} \left[ f(x) + g(x) \right] = \lim_{x \to a} f(x) + \lim_{x \to a} g(x)$         |
|----------------------------------|---|
| Difference Law for Limits:       | $\lim_{x \to a} \left[ f(x) - g(x) \right] = \lim_{x \to a} f(x) - \lim_{x \to a} g(x)$         |
| Constant Multiple Law for Limits | s: $\lim_{x \to a} \left[ c \cdot f(x) \right] = c \cdot \lim_{x \to a} f(x)$                   |
| Product Law for Limits:          | $\lim_{x \to a} \left[ f(x) \cdot g(x) \right] = \lim_{x \to a} f(x) \cdot \lim_{x \to a} g(x)$ |
| Quotient Law for Limits:*        | $\lim_{x \to a} \frac{f(x)}{g(x)} = \frac{\lim_{x \to a} f(x)}{\lim_{x \to a} g(x)}$            |
| Power Law for Limits:**          | $\lim_{x \to a} \left[ f(x) \right]^{p/q} = \left[ \lim_{x \to a} f(x) \right]^{p/q}$           |

\* provided  $\lim_{x\to a} g(x) \neq 0$ .

\*\* provided  $\lim_{x \to a} f(x) \ge 0$  when q is even and  $\lim_{x \to a} f(x) \ne 0$  if p/q < 0.