

2. a) State the Neutral Area Postulate.

b) State the Euclidean Area Postulate.

3. State and prove the Law of Sines.

4. a) State a theorem (of your choice) from §6.2 about common perpendiculars.

b) Provide good justifications in the blanks below for the corresponding statements:

Proposition: In hyperbolic geometry, if $\Delta ABC \sim \Delta DEF$, then $\Delta ABC \cong \Delta DEF$.

Statement:	Reason:
Let ΔABC and ΔDEF be two triangles such that $\Delta ABC \sim \Delta DEF$.	
If any one side of ΔABC is congruent to the corresponding side of ΔDEF , then $\Delta ABC \cong \Delta DEF$.	
Now s'pose $AB \neq DE$, $BC \neq EF$, and $AC \neq DF$.	
Without loss of generality, assume $AB > DE$ and $AC > DF$.	
Choose a point B' on \overline{AB} such that $AB' = DE$ and choose a point C' on \overline{AC} such that $AC' = DF$. Then $\square BCC'B'$ is convex.	
Then $\Delta AB'C' \cong \Delta DEF$.	
So $\angle AB'C' \cong \angle ABC$ and $\angle AC'B' \cong \angle ACB$.	
$\angle BB'C'$ is the supplement of $\angle AB'C'$ and $\angle CC'B'$ is the supplement of $\angle AC'B'$.	
$\sigma(\square BCC'B') = 360^\circ$	
But this is a contradiction, so $\Delta ABC \cong \Delta DEF$	

5. Show that if $\triangle ABC$ is a triangle labeled in the standard way, and $a^2 + b^2 = c^2$, then $\angle BCA$ is a right angle.

