Each problem is worth 5 points. For full credit indicate clearly how you reached your answer.

1. If a triangle (with the usual labeling) has measurements a = 20, b = 14, and  $\beta = 20^{\circ}$ , use the Law of Since to find the measure of angle  $\alpha$ .

$$\frac{\sin \alpha}{20} = \frac{\sin 20^{\circ}}{14} \implies \sin \alpha = \frac{20 \sin 20^{\circ}}{14}$$

$$\alpha = \sin^{-1} \left( \frac{20 \sin 20^{\circ}}{14} \right) \approx 29.25^{\circ}$$

2. If a triangle (with the usual labeling) has measurements a = 2, b = 5, and c = 4, use the Law of Cosines to find the measure of angle  $\gamma$ .

$$\frac{\sqrt{55}}{\sqrt{5}} = \frac{\sqrt{3^2 + \sqrt{2} - 2bc \cos x}}{\sqrt{5^2 + \sqrt{2} - 2ab \cos x}} < Law \text{ of cosines}$$

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