

You are encouraged to work in groups of two to four on this assignment and make a single group submission. Each problem is worth 3 points for correct and clearly justified answers. An additional quality point will be awarded to submissions which are presented in a manner appropriate to good college-level work.

1. a) Show that  $\sum_{n=1}^{\infty} \frac{1}{n(n+2)}$  converges.

b) Find the sum of the series  $\sum_{n=1}^{\infty} \frac{1}{n(n+2)}$  [Hint: Use partial fractions to rewrite  $\frac{1}{n(n+2)}$  and then try writing the first several partial sums to see a pattern].

2. For what values of  $p$  does the series  $\sum_{n=2}^{\infty} \frac{1}{n(\ln n)^p}$  converge?

3. Do #5 in the Chapter 11 Problems Plus on p. 761.

